

Beyond A-Theory and the Block Universe:
A non-circular derivation of “before”,
change, and local asymmetric time

by

Daniel Saudek

daniel.saudek@uibk.ac.at

Challenge: asymmetric time compatible with relativity?

Answers in the literature:

- Cosmic A-theory: e.g. W. L. Craig, D. Zimmerman, Unger & Smolin
- Block universe: O. C. de Beaugregard, K. Gödel, B. Skow
- Branching spacetimes
- Time real but local: S. Savitt, J. Harrington

→ My proposal: Aristotelian theory; time in terms of substances, powers, causation; does *not* rely on causal asymmetry!

Steps:

1. Defining “before” non-circularly
2. Defining change
3. Defining local time
4. Epistemological realism
5. Derivation of local time’s asymmetric character: linearity, “one way street”, fixity of past and openness of the future.

1. Defining “before” non-circularly

A.1: Substances exist, and they can exist in different states characterized by non-essential intrinsic properties.

→ Substance A , non-essential intrinsic properties p : A -with- p and A -without- p “states” of A .

A.2: For any substance A , different states of it exist only if it is subject to causal interactions, either with its environment, or among its own parts.

1. Defining “before” non-circularly

→ non-essential intrinsic properties as “records”, substances as “recorders”.

Simple examples (e.g. moon): *asymmetry in the existence of states of recorder A*

1. Defining “before” non-circularly

D.1: An amended recorder is a recorder A such that each event affecting it produces a record in A , and does not affect other records in A .

But what if record r^* twice?

D.2: An ideal recorder is an amended recorder which is able to fully specify its own state.

→ r^*_a and r^*_b discernible

1. Defining “before” non-circularly

D.3: x is before y iff there is a state of A with r_x , and a state with r_x and r_y , but no state with r_y and without r_x .

Note: no explicit quantification over all states of A needed!

2. Defining change

D.4 A substance B changes iff it acquires or loses a property p , where “ B acquires p ” iff $r_{B\text{-without-}p}$ is before $r_{B\text{-with-}p}$ for A , and “ B loses p ” iff $r_{B\text{-with-}p}$ is before $r_{B\text{-without-}p}$ for A .

Note: “for A ” \rightarrow for any recorder.

3. Defining time

A in state with r^*_a and r^*_b . Collection of r^*_a and r^*_b : r^*_2 .

A with r^*_2 plus another instance of r^* \rightarrow collection of r^*_2 and r^* : r^*_3 ,
etc.

D.5: If A is an ideal recorder, or a sufficiently good approximation thereof, then for all r^*_i in A , $i \equiv t$.

3. Defining time

Writing “*A-with- r_x* ” as “*Ax*”, we identify:

I.1: $A_t = Ax_1, \dots, x_n$, for some n .

Also:

D.6: If a record r is produced in A_t , then $r \equiv r_t$.

3. Defining time

D.7: Time is a local parameter t established through a recorder A on the basis of repeated instances of records of the same type r^* in A , such that t is used to quantify processes of change in substances which can causally affect A .

4. Epistemological realism

V : set of rules of inference v . R^A : set containing records r^A in A . Then:

A.3: From the fact that the rules $v \in V$ apply, and from the existence of records $r^A \in R^A$, it follows that some propositions p_R^A are true, the set of which will be called P_R^A .

5. Local asymmetric time

Consider: A in state $A_{t\alpha}$, where $t_\alpha > 0$. $A_{t\alpha}$

- will in general bear records of causal interactions (identification I.1)
- is a substance \rightarrow can receive more records (assumptions A.1 and A.2)

5. Local asymmetric time

- Records in A associated with locally measured times t (definition D.6).
- For each time t less than t_α , there is a set R^{A_t} of records r^{A_t} in A .
- Existence of records r^{A_t} in R^{A_t} , plus rules of inference v in $V \rightarrow$ truth of some propositions associated with records $r^{A_t} \rightarrow$ We call them p^{A_t} , and the set containing all of them and only them will be called P^{A_t} .

\rightarrow all times t less than t_α associated with sets P^{A_t} , all times t greater than t_α not.

5. Local asymmetric time

Linearity:

Given: two locally measured times t and t' , records r^A_t in R^A_t indiscernible from records $r^A_{t'}$ in $R^A_{t'}$ \rightarrow two type-identical sets of propositions P^A_t and $P^A_{t'}$.

But P^A_t and $P^A_{t'}$ not identical: all propositions contained in $P^A_{t'}$ involve $A_{t'}$ rather than A_t .

\rightarrow Every local time t : *unique* set P^A_t .

\rightarrow “Same happens again” does not mean “the past recurs”.

5. Local asymmetric time

Fixity of the past:

State $A_{t\alpha}$ of A : propositional content of local time t less than t_α given by P^{A_t} .

- Let $(p^{A_t})^* \in P^{A_t}$. “I wish not- $(p^{A_t})^*$!” \rightarrow impossible, because $(p^{A_t})^*$ implied by true statements: 1. existence of records in $A_{t\alpha}$, associated with local time t ; 2. rules $v \in V$.
 - Let $(p^{A_t})_+ \notin P^{A_t}$. “I wish $(p^{A_t})_+$!” \rightarrow impossible, because P^{A_t} contains all and only the propositions which follow from rules $v \in V$ and existence of $r^{A_t} \in R^{A_t}$.
- \rightarrow Notion of changing local past implies a contradiction.

5. Local asymmetric time

Openness of the future:

Propositional content of local times t greater than t_α can be influenced:

- A_{t_α} state of substance A . Substances can acquire records through causal interactions
→ sets of propositions (assumption (A.3)).
- Propositional content of a time less than t_α cannot be changed (shown above)
- No such argument for times greater than t_α , because no records in A_{t_α} for such times.
→ Local future is open: each time t greater than t_α is not associated with a unique P -set, but can be occupied by infinitely many such sets. Propositional content of such times “branches”.

5. Local asymmetric time

Time's anisotropic character:

Revisiting the past → contradiction.

→ Time can only move “forward”.

Conclusion

- Time is something purely local.
- Local times have asymmetric character: fixed past, open future, unidirectional flow → horsetail model.
- No conflict between relativity theory and our experience of the passage of time (unlike e.g. in Gödel, Unger & Smolin).
- Events do not change their ontological status, as in classical A-theory, i.e. not: “future events become present, then past”.
- Time is neither merely subjective, nor independent of measuring operations. It is an *ens rationis cum fundamento in re*.

